

Numerical models of slab deformation in the upper mantle

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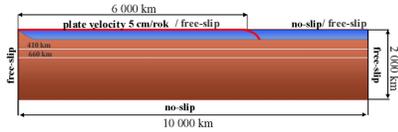
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Abstract:

Processes within subduction zones have major influence on the plate dynamics and mantle convection. Subduction process is influenced by a combination of many parameters and there is no simple global relationship between the resulting slab geometry and deformation and any specific subduction parameter. In the present work we perform a parametric study of the slab dynamics in a two-dimensional model with composite rheology including diffusion creep, dislocation creep and stress limiting rheology or Peierls creep. The separation of the subducting and overriding plates is ensured by a layer of a low viscosity material - crust. We are particularly interested in the effect of the contact of subducting and overriding plate on the plate geometry in the upper mantle. We also study the influence of a surface boundary condition and the rheological parameters of the plate.

Model domain:



Model:

- 2D Cartesian box
- incompressible, extended Boussinesq
- viscous composite rheological model (van den Berg et al., 1993)
- finite element code SEPRAN (Segal & Pragman, 2005)

Rheology

$$\eta_{diff} = \left(\frac{1}{\eta_{diff}} + \frac{1}{\eta_{disl}} + \frac{1}{\eta_p} \right)^{-1}$$

$$\eta_{diff} = A_{diff}^{-1} d^n \exp\left(\frac{E_{diff} + PV_{diff}}{RT}\right)$$

$$\eta_{disl} = A_{disl}^{-1} \epsilon_{disl}^{n-1} \exp\left(\frac{E_{disl} + PV_{disl}}{nRT}\right)$$

$$\eta_p = \epsilon_p^{S(\gamma)} \gamma \sigma_p A_p^{-1} \exp\left(\frac{T_m(P)}{TS(\gamma)} (1-\gamma)^2\right) \quad \text{some models} \rightarrow \eta_p = \sigma_y \epsilon_y^{n_y} \epsilon_d^{n_d}$$

$$S(\gamma) = \frac{g_p T_m(P)}{T} (1-\gamma)^{-q} q \gamma$$

Parameters

$$A_{diff} = 1.92 \times 10^{-10} \text{ Pa}^{-1} \text{ s}^{-1} \quad A_p = 5.7 \times 10^{11} \text{ s}^{-1} \quad \eta_{crust} = 10^{19} - 10^{21} \text{ Pa s}$$

$$E_{diff} = 3.0 \times 10^5 \text{ J.mol}^{-1} \quad E_p = 5.4 \times 10^5 \text{ J.mol}^{-1}$$

$$V_{diff} = 4.5 \times 10^{-6} \text{ m}^3 \text{.mol}^{-1} \quad T_m(P) = 2100 + 1.4848 z - 5.10 \cdot 10^{-4} z^2$$

$$A_{disl} = 2.42 \times 10^{-15} \text{ Pa}^{-n} \text{ s}^{-1} \quad T_m(P) = 2916 + 1.25 z - 165 \cdot 10^{-4} z^2$$

$$E_{disl} = 5.4 \times 10^5 \text{ J.mol}^{-1} \quad \sigma_y = 10^8 - 10^9 \text{ Pa}$$

$$V_{disl} = 14 \times 10^{-6} \text{ m}^3 \text{.mol}^{-1} \quad \epsilon_y = 10^{-14} \text{ s}^{-1}$$

Results:

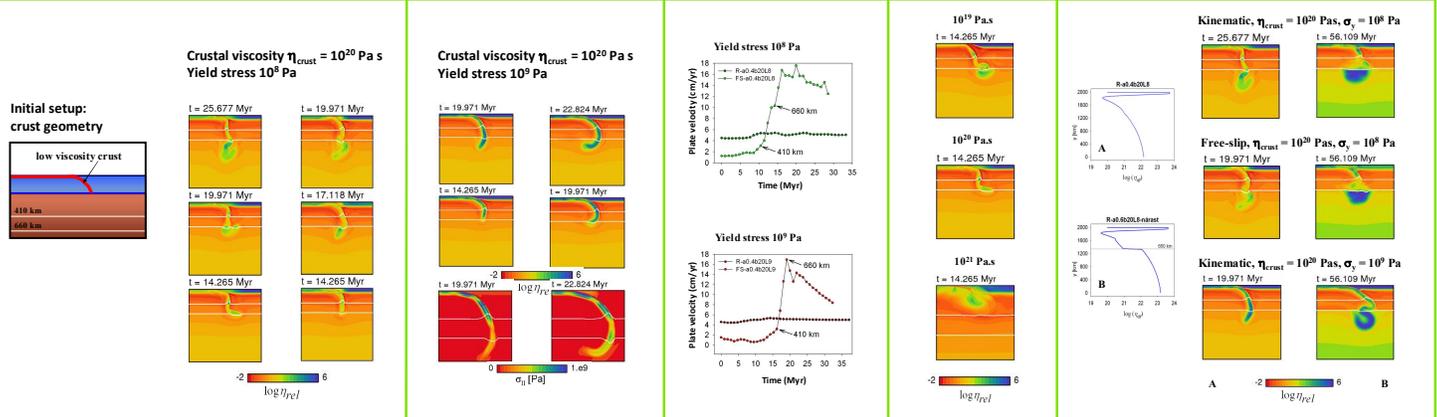
Effect of boundary condition

Effect of yield stress

Plate velocity

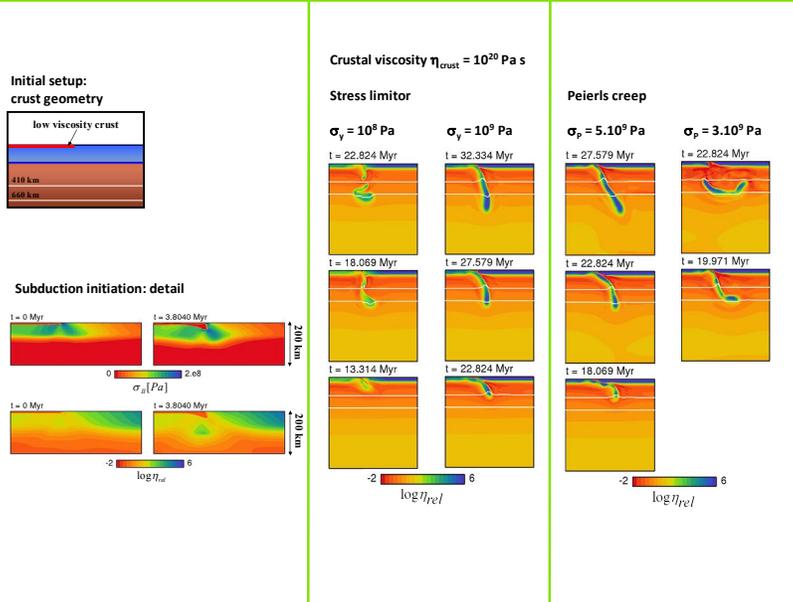
Effect of crustal viscosity

Effect of viscosity jump at 660 km

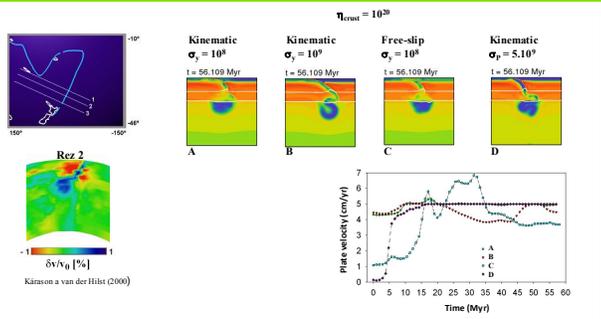


Results:

Effect of decoupling mechanism



Kermadec region



Conclusions:

- Crustal viscosity of 10^{20} Pa s produces most reasonable slab morphologies
- Surface boundary condition plays relatively minor role in the models with predefined crustal arc
- In the models with kinematic boundary condition subduction develops without prescribing the initial contact geometry
- Rheological parameters of the plate have strong effect to slab deformation, especially in the models without predefined decoupling arc – the models with stress limiter produce different slab morphologies than models with Peierls creep
- An increase of viscosity at the depth of 660 km in necessary to produce the thickening in the lower mantle